# Maharashtra State Board of Technical Education (MSBTE) 

I - Scheme<br>II - Semester Course Curriculum<br>CourseTitle: Applied Mathematics (CO, IF)<br>(Course Code:<br>$\qquad$<br>)

| Diploma programme in which this course is offered | Semester in which offered |
| :---: | :---: |
| Computer Engineering, Information Technology | Second |

## 1. RATIONALE

The core technological studies can be understood with the help of potential of mathematics. This course is being introduced into diploma course to provide mathematical background. The course will give them the insight to understand and analyze engineering problems scientifically using calculus, integration, differential equations and numerical methods. This subject enhances the multidimensional, logical thinking and reasoning capabilities. It also improves the systemic approach in computer programming language.

## 2. COMPETENCY

The aim of this course is to help the student to attain the following industry identified competency through various teaching learning experiences:

- Solve computer related broad-based engineering problems using principles of applied mathematics.


## 3. COURSE OUTCOMES (COs)

The theory, practical experiences and relevant soft skills associated with this course are to be taught and implemented, so that the student demonstrates the following industry oriented COs associated with the above mentioned competency:
a. Calculate the equation of tangent, maxima, minima, radius of curvature by differentiation.
b. Solve the given problems of integration using suitable methods.
c. Apply the concept of integration to find area and volume.
d. Solve the differential equation of first order and first degree using suitable methods.
e. Apply the concepts of numerical methods in computer programming languages.

## 4. TEACHING AND EXAMINATION SCHEME

| Teaching Scheme (In Hours) |  |  | $\begin{gathered} \hline \begin{array}{c} \text { Total Credits } \\ (\mathrm{L}+\mathrm{T}+\mathrm{P}) \end{array} \\ \hline \mathrm{C} \end{gathered}$ | Examination Scheme |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  | Theory Marks | Practical Marks |  | Total Marks |
| L | T | P |  | ESE | PA | ESE | PA |  |
| 4 | 2 | - |  | 6 | 70 | 30* | - | - |  |

(*): Under the theory PA, Out of 30 marks, 10 marks are for micro-project assessment to facilitate integration of COs and the remaining 20 marks is the average of 2 tests to be taken during the semester for the assessment of the cognitive domain LOs required for the attainment of the COs.
Legends: L-Lecture; $\boldsymbol{T}$ - Tutorial/Teacher Guided Theory Practice; $\boldsymbol{P}$-Practical; C - Credit, ESE -End Semester Examination; PA - Progressive Assessment.
5. COURSE MAP(with sample COs, Learning Outcomes i.e. LOs and topics) This course map illustrates an overview of the flow and linkages of the topics at various levels of outcomes (details in subsequent sections) to be attained by the student by the end of the course, in all domains of learning in terms of the industry/employer identified competency depicted at the centre of this map.


Figure 1 - Course Map

## 6. SUGGESTED PRACTICALS/ EXERCISES

The tutorials in this section are LOs (i.e.sub-components of the COs) to be developed and assessed in the student to lead to the attainment of the competency.

| S. <br> No. | Tutorials | Unit <br> No. | Approx. <br> Hrs. <br> Required |  |
| :---: | :--- | :--- | :---: | :---: |
| 1 | Solve problems based on finding <br> different points. | value of the function at | I | 2 |
| 2 | Solve problems to find derivatives <br> parametric function | of implicit function and | I | 2 |


| S. <br> No. | Tutorials | Unit <br> No. | Approx. <br> Hrs. <br> Required |
| :---: | :--- | :---: | :---: |
| 3 | Solve problems to find derivative of logarithmic and <br> exponential functions. | I | 2 |
| 4 | Solve problems based on finding equation of tangent and <br> normal. | I | 2 |
| 5 | Solveproblems based on finding maxima, minima of function <br> and radius of curvature at a given point. | I | 2 |
| 6 | Solve the problems based on standard formulae of integration. | II | 2 |
| 7 | Solve problems based on methods of integration, substitution, <br> partial fractions. | II | 2 |
| 8 | Solve problems based on integration by parts. | II | 2 |
| 9 | Solve practice problems based on properties of definite <br> integration. | III | 2 |
| 10 | Solve practice problems based on finding area under curve, area <br> between two curves and volume of revolutions. | III | 2 |
| 11 | Solve the problems based on formation, order and degree of <br> differential equations. | IV | 2 |
| 12 | Develop a model using variable separable method to related <br> engineering problem. | IV | 2 |
| 13 | Develop a model using the concept of linear differential <br> equation to related engineering problem. | IV | 2 |
| 14 | Solve problems based on finding the roots of algebraic <br> equations using RegulaFalsi Method. | V | 2 |
| 15 | Solve problems based on finding the roots of transcendental <br> equations using Newton Raphson’s Method. | V | 2 |
| 16 | Solve problems based on solution of system of equations using <br> Gauss elimination method and Gauss Seidal Method | V | 2 |
|  | Total |  |  |

Note: The above tutorial sessions are for guideline only. The remaining tutorial hours are for revision and practice

## 7. MAJOR EQUIPMENT/ INSTRUMENTS REQUIRED: <br> - Not applicable -

## 8. UNDERPINNING THEORY COMPONENTS

The following topics/subtopics should be taught and assessed in order to develop LOs in cognitive domain for achieving the COs to attain the identified competency.

| Unit | Major Learning Outcomes (in cognitive domain) | Topics and Sub-topics |
| :---: | :---: | :---: |
| Unit - I <br> Differenti <br> al <br> Calculus | 1a. Solve the given simple problems based on functions. <br> 1b. Solve the given simple problems based on rules of differentiation. <br> 1c. Obtain derivatives of given logarithmic, exponential functions. <br> 1d. Apply the concept of | 1.1 Functions and Limits: <br> a) Concept of function and simple examples <br> b) Concept of limits without examples. <br> 1.2 Derivatives : <br> a) Rules of derivatives such as sum, product, quotient of functions. |


| Unit | Major Learning Outcomes (in cognitive domain) | Topics and Sub-topics |
| :---: | :---: | :---: |
|  | differentiation to find equation of tangent and normal for given problem. <br> 1e. Apply the concept of differentiation to calculate maxima and minima and radius of curvature for the given problem. | b) Derivatives of inverse, logarithmic and exponential functions. <br> 1.3 Applications of derivative: <br> a) Second order derivative without examples. <br> b) Equation of tangent and normal <br> c) Maxima and minima <br> d) Radius of curvature |
| Unit- II <br> Integral <br> Calculus | 2a. Solve the given simple problem(s) based on rules of integration. <br> 2b. Obtain the given simple integral(s) using substitution method. <br> 2c. Integrate given simple functions using the integration by parts. <br> 2d. Evaluate the given simple integral by partial fractions. | 2.1 Simple Integration: Rules of integration and integration of standard functions. <br> 2.2 Methods of Integration: <br> a) Integration by substitution. <br> b) Integration by parts <br> c) Integration by partial fractions. |
| Unit- III <br> Applicati <br> ons of <br> Definite <br> Integrati <br> on | 3a. Solve given simple problems based on properties of definite integration. <br> 3b. Apply the concept of definite integration to find the area under the given curve (s). <br> 3c. Utilize the concept of definite integration to find area between given two curves. <br> 3d. Invoke the concept of definite integration to find the volume of revolution of given surface. | 3.1 Definite Integration: <br> a) Simple examples <br> b) Properties of definite integral (without proof) and simple examples. <br> 3.2 Applications of integration: <br> a) Area under the curve. <br> b) Area between two curves. <br> c) Volume of revolution. |
| Unit-IV <br> First <br> Order <br> First <br> Degree <br> Differenti <br> al <br> Equation <br> s | 4a. Find the order and degree of given differential equation(s). <br> 4b. Form simple differential equations for given simple engineering problems <br> 4c. Solve given differential equations using the method of variable separable. <br> 4d. Solve the given simple problem(s) based on linear differential equations. | 4.1 Concept of differential equation <br> 4.2 Order, degree and formation of differential equation. <br> 4.3 Solution of differential equation <br> a. Variable separable form. <br> b. Linear differential equation. <br> 4.4 Application of differential equations and related engineering problems. |
| Unit -V <br> Numerica <br> I methods | 5a. Find the roots of given algebraic equations using Bisection method and Regula falsi method. <br> 5 b . Determine the roots of given nonlinear equation(s) using | 5.1 Solutions of algebraic equations: <br> a. Bisection Method. <br> b. Regula falsi Method. <br> c. Newton Raphson Method. <br> 5.2 Numerical solutions of simultaneous |


| Unit | Major Learning Outcomes <br> (in cognitive domain) | Topics and Sub-topics |
| :---: | :---: | :---: |
|  | Newton's-Raphson method. <br> 5c. Obtain the solutions of given <br> simultaneous equations using <br> Gauss elimination method. <br> 5d. Solve given system of linear <br> equations using Jacobi's method <br> and Gauss Seidal method. | a. Gauss elimination method <br> b. Jacobi’s Method. <br> c. Gauss Seidal Method. |

Note: To attain the COs and competency, above listed Learning Outcomes (LOs) need to be undertaken to achieve the 'Application Level' of Bloom's 'Cognitive Domain Taxonomy'.

## 9. SUGGESTED SPECIFICATION TABLE FOR QUESTION PAPER DESIGN

| Unit | Unit Title | Teaching | Distribution of Theory Marks |  |  |  |  |  |  |  |  |  |
| :---: | :--- | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| No. |  | Hours <br> Level | U <br> Level | A <br> Level | Total <br> Marks |  |  |  |  |  |  |  |
| I | Differential calculus | 20 | 04 | 08 | 12 | 24 |  |  |  |  |  |  |
| II | Integral calculus | 14 | 02 | 06 | 08 | 16 |  |  |  |  |  |  |
| III | Applications of Definite <br> Integration | 10 | 02 | 02 | 04 | 08 |  |  |  |  |  |  |
| IV | First Order First Degree <br> Differential Equations | 08 | 02 | 02 | 04 | 08 |  |  |  |  |  |  |
| V | Numerical Methods | 12 | 02 | 05 | 07 | 14 |  |  |  |  |  |  |
| Total |  |  |  |  |  |  |  | $\mathbf{6 4}$ | $\mathbf{1 2}$ | $\mathbf{2 3}$ | $\mathbf{3 5}$ | $\mathbf{7 0}$ |

Legends: $R=$ Remember, $U=$ Understand, $A=$ Apply and above (Bloom's Revised taxonomy)
Note: This specification table provides general guidelines to assist student for their learning and to teachers to teach and assess with respect to attainment of LOs. The actual distribution of marks at different taxonomy levels (of $R, U$ and $A$ ) in the question paper may vary from above table.

## 10. SUGGESTED STUDENT ACTIVITIES

Other than the classroom and laboratory learning, following are the suggested student-related co-curricular activities which can be undertaken to accelerate the attainment of the various outcomes in this course:
a. Identify engineering problems based on real world problems and solve with the use of free tutorials available on the internet.
b. Use graphical software: EXCEL, DPLOT, and GRAPH for related topics.
c. Use Mathcad as Mathematical Tools and solve the problems of Calculus.
d. Identify problems based on applications of differential equations and solve these problems.
e. Prepare models to explain different concepts of applied mathematics.
f. Prepare a seminar on any relevant topic based on applications of integration.
g. Prepare a seminar on any relevant topic based on some Numerical methods.

## 11. SUGGESTEDSPECIAL INSTRUCTIONAL STRATEGIES (if any)

These are sample strategies, which the teacher can use to accelerate the attainment of the various outcomes in this course:
a. Massive open online courses (MOOCs) may be used to teach various topics/sub topics.
b. ' $L$ ' in item No. $\mathbf{4}$ does not mean only the traditional lecture method, but different types of teaching methods and media that are to be employed to develop the outcomes.
c. About $\mathbf{1 5 - 2 0 \%}$ of the topics/sub-topics which is relatively simpler or descriptive in nature is to be given to the students for self-directed learning and assess the development of the LOs/COs through classroom presentations (see implementation guideline for details).
d. With respect to item No.10, teachers need to ensure to create opportunities and provisions for co-curricular activities.
e. Guide student(s) in undertaking micro-projects.
f. Apply the mathematical concepts learnt in this course to branch specific problems.
g. Use different instructional strategies in classroom teaching.
h. Use video programs available on the internet to teach abstract topics.

## 12. SUGGESTED MICRO-PROJECTS

Only one micro-project is planned to be undertaken by a student assigned to him/her in the beginning of the semester. S/he ought to submit it by the end of the semester to develop the industry oriented COs. Each micro-project should encompass two or more COs which are in fact, an integration of practicals, cognitive domain and affective domain LOs. The microproject could be industry application based, internet-based, workshop-based, laboratory-based or field-based. Each student will have to maintain dated work diary consisting of individual contribution in the project work and give a seminar presentation of it before submission. The total duration of the micro-project should not be less than 16 (sixteen) student engagement hours during the course.

In the first four semesters, the micro-project could be group-based. However, in higher semesters, it should be individually undertaken to build up the skill and confidence in every student to become problem solver so that s/he contributes to the projects of the industry. A suggestive list is given here. Similar micro-projects could be added by the concerned faculty:
a. Prepare models using the concept of tangent and normal to bending of roads in case of sliding of a vehicle.
b. Prepare models using the concept of radius of curvature to bending of railway track.
c. Prepare charts displaying the area of irregular shapes using the concept of integration.
d. Prepare charts displaying volume of irregular shapes using concept of integration.
e. Prepare models using the concept of differential equations for mixing problem.
f. Prepare models using the concept of differential equations for radio carbon decay.
g. Prepare models using the concept of differential equations for population growth.
h. Prepare models using the concept of differential equations for thermal cooling.
i. Write algorithm to find the approximate roots of algebraic equations.
j. Write algorithm to find the approximate roots of transcendental equations.
k. Write algorithm to solve system of linear equations.

## 13. SUGGESTED LEARNING RESOURCES

| S. <br> No. | Title of Book | Author | Publication |
| ---: | :--- | :--- | :--- |
| 1 | Higher Engineering <br> Mathematics | Grewal, B.S. | Khanna publications, New Delhi, 2013 <br> ISBN:8174091955 |
| 2 | Advanced Engineering | Krezig, Ervin | Wiley Publications, New Delhi, 2016 |


| S. <br> No. | Title of Book | Author | Publication |
| :---: | :---: | :---: | :---: |
|  | Mathematics |  | ISBN:978-81-265-5423-2, |
| 3 | Advanced Engineering Mathematics | Das, H.K. | S. Chand Publications, New Delhi, 2008, ISBN-9788121903455 |
| 4 | Engineering Mathematics, Volume 1 ( $4^{\text {th }}$ edition) | Sastry, S.S. | PHI Learning, New Delhi, 2009 <br> ISBN: 978-81-203-3616-2, |
| 5 | Getting Started with MATLAB-7 | Pratap, Rudra | Oxford University Press, New Delhi,2009 ISBN: 0199731241 |
| 6 | Engineering Mathematics (third edition). | Croft, Anthony. | Pearson Education, New Delhi,2010 ISBN: 978-81-317-2605-1 |

## 14. SOFTWARE/LEARNING WEBSITES

a. www.scilab.org/ - SCI Lab
b. www.mathworks.com/products/matlab/ - MATLAB
c. Spreadsheet applications
d. www.dplot.com/ - DPlot
e. www.allmathcad.com/ - MathCAD
f. www.wolfram.com/mathematica/ - Mathematica
g. http://fossee.in/
h. https://www.khanacademy.org/math?gclid=CNqHuabCys4CFdOJaAoddHoPig
i. www.easycalculation.com
j. www.math-magic.com.

